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#### Outline

Introduction

What is wrong with standard competition measures?

New competition measure

Profit elasticity (PE) in Dutch data

Identifying the reallocation effect

Policy implications



• This presentation is based on papers with co-authors:

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- Boone (2008)
- Boone, Van Ours and Van der Wiel (2010)
- Boone and Goeree (2010)

### Motivation I

- For both policy and academic research it is important to measure competition
- Examples of policy applications:
  - a market is liberalized, policy makers want to monitor whether competition intensifies over time
  - have firms managed to form a cartel and reduce competition intensity?
  - allowing a merger in a sector that is becoming more competitive over time can be less problematic than in a sector where competition falls over time
- Examples of research questions:
  - does more intense competition lead to higher productivity
  - what is the relation between competition intensity and innovation?

### Motivation II

- does more intense competition increase wages, reduce unemployment?
- do firms pollute more in a more competitive sectors?

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#### Concentration |

- Concentration tends to measure competition correctly in response to a fall in entry barriers such that more firms are active in the market
- However, if competition intensity increases due to more aggressive interaction between firms (e.g. a minimum price is abolished)
  - inefficient firms may be forced out of the market
  - efficient firms gain market share at the expense of inefficient firms
- both effects tend to raise concentration
- Hence high concentration can be a signal of intense competition

#### Concentration II

- If Lance Armstrong wins the Tour de France 7 times in a decade, does it signal market power?
- Or is cycling very competitive and Armstrong better than the others?

Profits

- There is a tendency to equate competition with low profits
- First, note that even with perfect competition, firms can make positive profits (if costs are convex)
- Whereas Cournot competition is seen as less competitive than Bertrand competition, it is not hard to find examples where profits under Bertrand are higher than under Cournot competition
- Intuitively, more intense competition allows efficient firms to better leverage their advantage over inefficient firms
- In a cross section firms with high profits may simply be efficient but not have market power
- Although we look at profits as well, we do not consider profit *levels*

#### PCM I

- Conditional on cost, PCM is a measure of market power
- but conditional on price, it measures efficiency
- especially problematic in sectors where firms can innovate to reduce marginal costs
- Makes it impossible to interpret a firm's own pcm as a measure of market power for that firm
- Industry average PCM has a theoretical link with competition if pcm is weighted with firm's market share
- but then the *reallocation effect* can cause problems:
  - an increase in competition reallocates market share from inefficient firms (with low pcm) to efficient firms with (high pcm)

PCM II

- hence an increase in competition intensity can raise industry average PCM
- New economy sectors with marginal costs close to zero:  $pcm = (p-c)/p \approx 1$
- Many (new economy and network) sectors use two-part tariffs. Not clear how pcm should be extended to take this into account:
  - if one only considers the price at the margin, monopolist can have price equal to marginal cost and appropriates the whole consumer surplus using the fixed part of the tariff

# Profit inequality I

- We say that a sector becomes more competitive if (for given cost distribution) the profit distribution becomes more unequal
- indeed, Bertrand competition leads to more inequality in profits than Cournot competition (although profit levels can go either way)
- environment A is more competitive than environment B if  $\pi_A(c)$  is a convex transformation of  $\pi_B(c)$
- Lorenz curve in environment A lies below Lorenz curve in B
- $-\pi''(c)/\pi'(c)$  increases with competition intensity (for all c)
  - is invariant to changes in measurement (euros, cents, dollars) and to changes in levels (say, each firm receives a fixed subsidy from the government and does not change its conduct)

### Profit inequality ||

- competition/inequality is related to the *curvature* of the profit function  $\pi(c)$
- assume that the profit function takes the form:  $\ln \pi_{it} = \alpha_i + \alpha_t - \beta_t \ln c_{it} + \varepsilon_{it}$
- $\beta = -d \ln(\pi)/d \ln(c)$ : Profit Elasticity (PE):
  - $\bullet\,$  percentage increase in profits due to a 1% fall in costs
- then -π"(c)/π'(c) = β/c: higher β signals more intense competition (higher profit inequality)
- comparative statics that give higher  $\beta$  include:
  - Cournot competition with a reduction in entry barriers (increasing the number of firms)
  - goods becoming closer substitutes
  - switching from Cournot to Bertrand competition
  - Hotelling model with a fall in travel cost

### Data and estimation I

- We estimate PE for 139 Dutch industries in both manufacturing and services using firm level data (on average 87,000 firms per year)
- It turns out that on average PE equals 7 in the Netherlands: if costs per unit of output increase by 1%, profits fall by 7%
- We use firm level data from Statistics Netherlands (CBS)
- period: 1993-2002
- variable profits π<sub>i</sub> are defined as: revenues<sub>i</sub> minus variable costs<sub>i</sub> where
- variable costs =
   labor costs<sub>i</sub> + energy costs<sub>i</sub> + intermediate inputs<sub>i</sub>

### Data and estimation II

- average variable costs c<sub>i</sub> are defined as: variable costs<sub>i</sub>/revenue<sub>i</sub>
- as a robustness check we also use labor productivity as an efficiency measure
- we estimate the following equation for each industry and time period t:

$$\ln \pi_{it} = \alpha_i + \alpha_t - \beta_t \ln c_{it} + \varepsilon_{it}$$

 the firm (α<sub>i</sub>) and time (α<sub>t</sub>) fixed effects correct for some observational errors with respect to π<sub>it</sub> and c<sub>it</sub>

### Frequency distributions PE

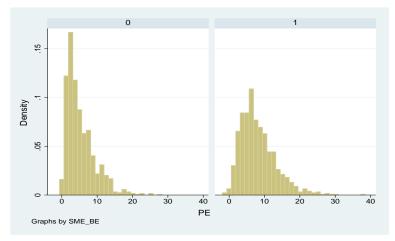


Figure: Distribution of PE in the Dutch economy.Left: SME, right: BE

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Is the reallocation effect merely a theoretical possibility? I

- It turns out that on average PE and PCM are negatively correlated across industries and time periods:
  - as PE goes up and PCM goes down both indicate an increase in competition intensity
- Hence on average PE and PCM are consistent
- This does not imply that tracking an industry over time, PE and PCM always give the same message about the development of competition
- Over time for the same industry PE and PCM can move in the same direction: reallocation effect

Is the reallocation effect merely a theoretical possibility? II
 Industry average PCM is defined as:

$$PCM = \frac{\sum_{i=1}^{n} (p_i x_i - c_i x_i)}{\sum_{i=1}^{n} p_i x_i} = \sum_{i=1}^{n} \frac{p_i x_i}{\sum_j p_j x_j} pcm_i$$

• where  $pcm_i = \frac{p_i - c_i}{p_i}$  is the price cost margin of firm *i* 

- *Reallocation effect*: as competition intensifies (more aggressive conduct), market shares of efficient firms increase at the expense of inefficient firms
- This implies that concentration goes up, incorrectly indicating a fall in competition
- This shifts market share from firms with low pcm to firms with high pcm which can lead to an increase in industry average PCM; (incorrectly) indicating a fall in competition

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Is the reallocation effect merely a theoretical possibility? III • Suppose competition changes from t = 0 to t = 1:

$$PCM_{1} - PCM_{0} = \sum_{i \in I_{1}} ms_{i1}pcm_{i1} - \sum_{i \in I_{0}} ms_{i0}pcm_{i0} =$$

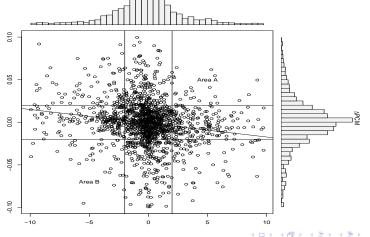
$$\sum_{i \in I} \{ \underbrace{ms_{i0}(pcm_{i1} - pcm_{i0})}_{\text{within effect}} + \underbrace{pcm_{i0}(ms_{i1} - ms_{i0})}_{\text{reallocation effect}} + \underbrace{(pcm_{i1} - pcm_{i0})(ms_{i1} - ms_{i0})}_{\text{interaction effect}} \}$$

$$+ \underbrace{\sum_{i \in I_{1} \setminus I} ms_{i1}pcm_{i1} - \sum_{i \in I_{0} \setminus I} ms_{i0}pcm_{i0}}_{\text{change in active firms effect}} + \underbrace{\sum_{i \in I_{1} \setminus I} ms_{i1}pcm_{i1} - \sum_{i \in I_{0} \setminus I} ms_{i0}pcm_{i0}}_{\text{change in active firms effect}} + \underbrace{\sum_{i \in I_{1} \setminus I} ms_{i1}pcm_{i1} - \sum_{i \in I_{0} \setminus I} ms_{i0}pcm_{i0}}_{\text{change in active firms effect}} + \underbrace{\sum_{i \in I_{1} \setminus I} ms_{i1}pcm_{i1} - \sum_{i \in I_{0} \setminus I} ms_{i0}pcm_{i0}}_{\text{change in active firms effect}} + \underbrace{\sum_{i \in I_{1} \setminus I} ms_{i1}pcm_{i1} - \sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i0}}_{\text{change in active firms effect}} + \underbrace{\sum_{i \in I_{1} \setminus I} ms_{i1}pcm_{i1} - \sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i0}}_{\text{change in active firms effect}} + \underbrace{\sum_{i \in I_{1} \setminus I} ms_{i1}pcm_{i1} - \sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1}}_{\text{change in active firms effect}} + \underbrace{\sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1} - \sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1}}_{\text{change in active firms effect}} + \underbrace{\sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1} - \sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1}}_{\text{change in active firms}} + \underbrace{\sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1} - \sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1}}_{\text{change in active firms}} + \underbrace{\sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1}}_{\text{change in active firms}} + \underbrace{\sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1}}_{\text{change in active firms}} + \underbrace{\sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1}}_{\text{change in active firms}} + \underbrace{\sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1}}_{\text{change in active firms}} + \underbrace{\sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1}}_{\text{change in active firms}} + \underbrace{\sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1}}_{\text{change in active firms}} + \underbrace{\sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1}}_{\text{change in active firms}} + \underbrace{\sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1}pcm_{i1}}_{\text{change in active firms}} + \underbrace{\sum_{i \in I_{0} \setminus I} ms_{i1}pcm_{i1}pcm_{i1}pcm_{i1}pcm_{i1}pcm_{i1}pcm_{i1}pcm_{i1}pcm_{i1}pcm_{i1}pcm_{i1}pcm_{i1}pcm_{i1}pcm_{i1}$$

• where  $I_0(I_1)$  is the set of active firms before (after) the change in competition,  $I = I_0 \bigcap I_1$  and  $i \in I_1 \setminus I$  if both  $i \in I_1$  and  $i \notin I$  Is the reallocation effect merely a theoretical possibility? IV

• We expect the reallocation effect to be strong in markets where concentration is high

Focusing on the tails where  $\triangle PCM$  and  $\triangle PE$  are "very" inconsistent



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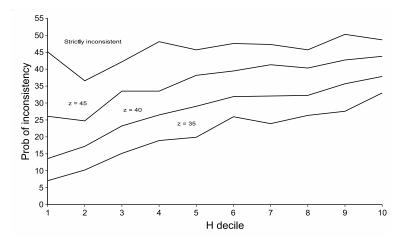
# Predicting when PCM and PE are inconsistent

- We want to predict/explain when industries end up in the areas A or B
- We use a dummy for the empirical measure of the reallocation effect when it is big relative to PCM (below 25th or above 75th percentile)
- We estimate a fixed effects logit model explaining the probability that an industry ends up in the areas A or B (for different values of z)
- Higher concentration *H* implies higher probability of inconsistency; intuitively, with low concentration, reallocation effect is small as well

#### Probability of inconsistency between $\Delta PE$ and $\Delta PCM$

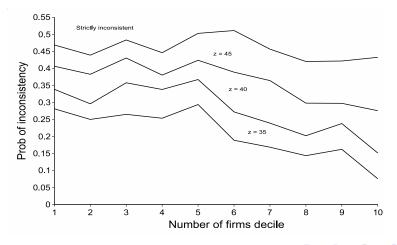
	H-index	Big reall. effect	Numb. of firms	% inconsistent
Strictly inconsistent	0.60 (1.7)* 0.59 (1.6) 0.33 (0.7)	0.06 (0.8) 0.06 (0.7)	_ _ -0.03 (0.9)	45.7
<i>z</i> = 45	1 52 (3 7)** 1 48 (3 6)** 0 70 (1 4)	0.16 (1.6) 0.15 (1.5)	_ _ -0.08 (2.2)**	36.4
<i>z</i> = 40	2.17 (5.0)** 2.12 (5.0)** 0.91 (1.8)*	0.25 (2.4)** 0.23 (2.3)**	_ _ -0.14 (3.3)**	27.9
<i>z</i> = 35	2.85 (6.3)** 2.79 (6.5)** 1.53 (2.9)**	_ 0.44 (3.9)** 0.42 (3.7)**	- - -0.15 (4.3)**	20.8

Probability of inconsistency as a function of deciles of the H-index



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Probability of inconsistency as a function of deciles of the number of firms in the market



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# Conclusion I

- When thinking about competition, do not blindly use PCM and concentration:
  - the reallocation effect plays a role in concentrated sectors
  - an increase in concentration and industry average PCM can be caused by an increase in competition intensity
- Do not focus on profit levels: the profits of an efficient firm can increase in response to an increase in competition intensity because it can use its cost advantage more aggressively
- Think in terms of profit inequality:
  - policy measures that raise the profits of efficient firms relative to inefficient firms increase profit inequality and hence are pro-competitive
- Not all increases in competition are welfare enhancing:

# Conclusion II

- if (currently) incumbents are more efficient than entering firms, the use of exclusive contracts can raise the profits of incumbents at the expense of entrants
- (consumer) welfare maximizing competition intensity may not be perfect competition
- e.g. dynamic industries where innovation is important should be less competitive than static industries