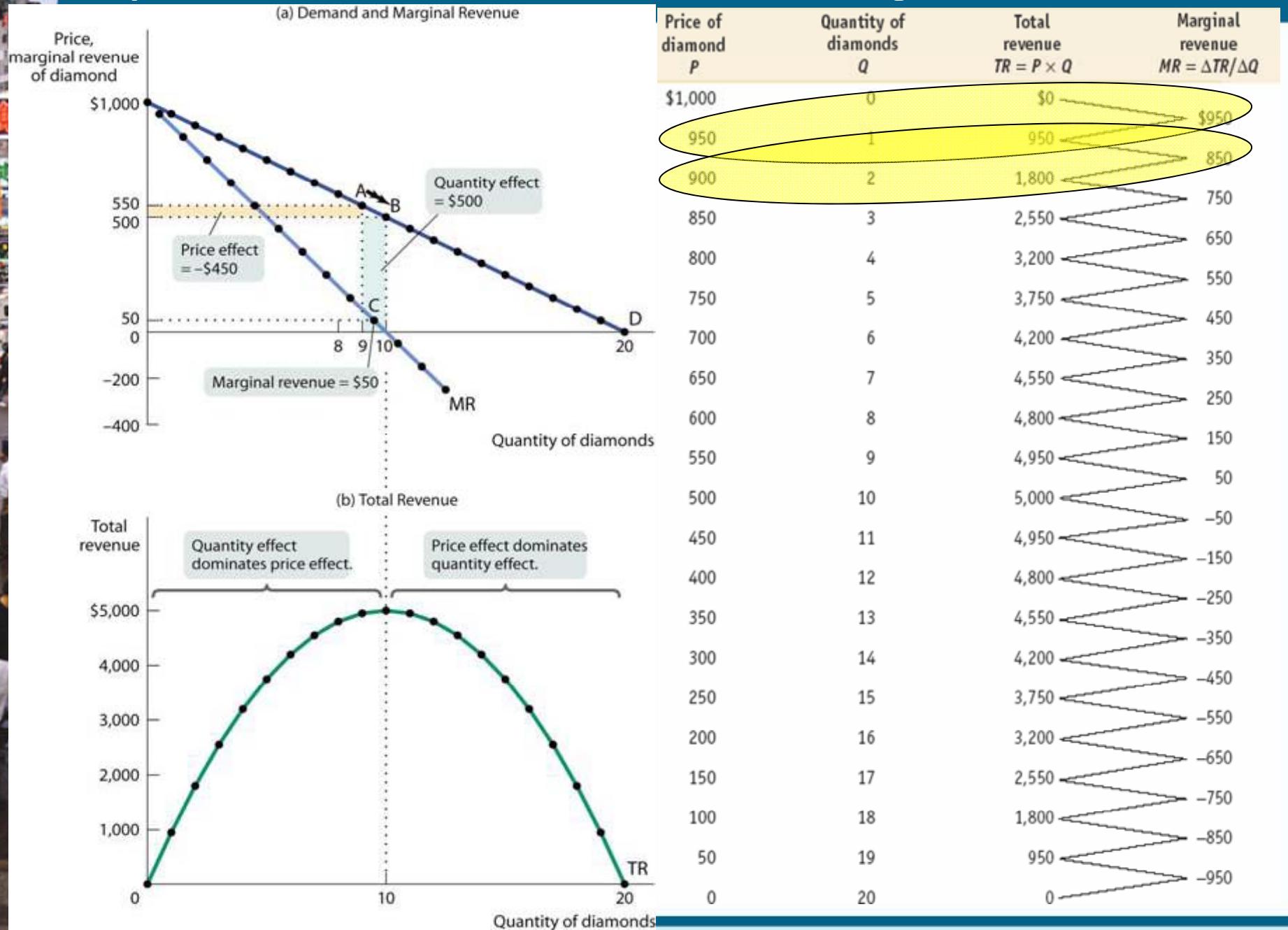
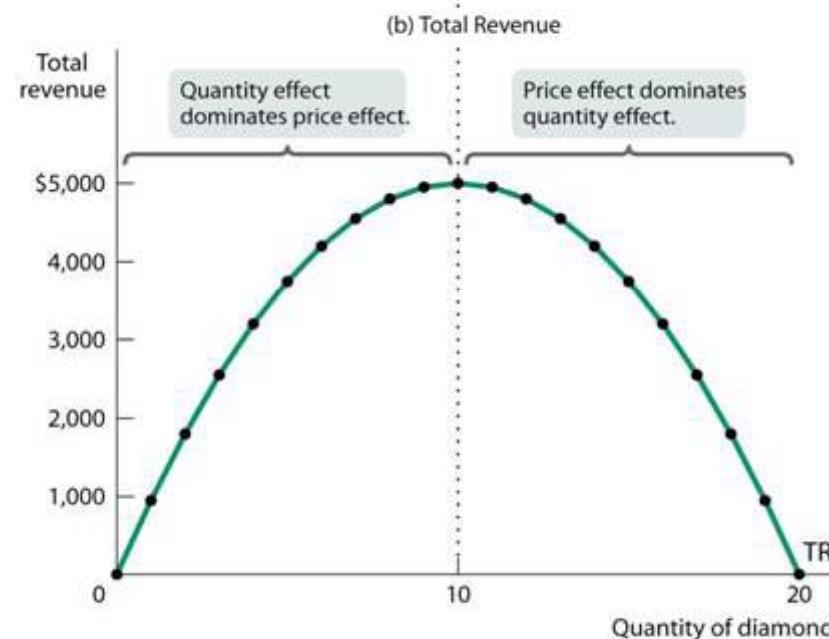
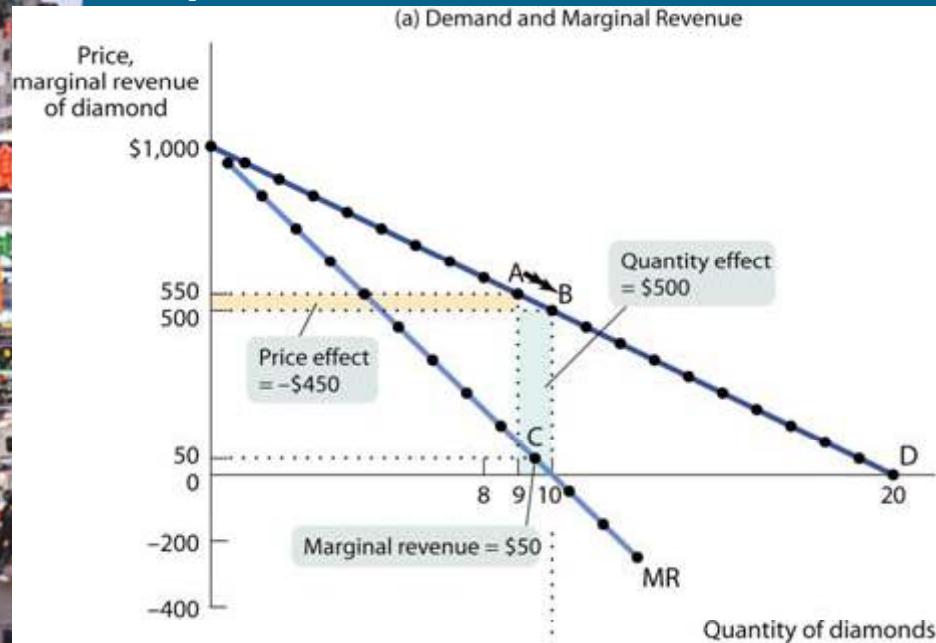


# A Monopolist's Demand, Total Revenue, and Marginal Revenue Curves



# A Monopolist's Demand, Total Revenue, and Marginal Revenue Curves



Inverse demand function  
(demand curve) monopolist:

$$P = P(Q) = 1000 - 50Q$$

Total revenue (function of  $Q$ )

$$\begin{aligned} TR &= P(Q) \cdot Q \\ &= (1000 - 50Q)Q \end{aligned}$$

Marginal revenue (MR)

$$MR = dTR/dQ = \boxed{dP/dQ \cdot Q + P}$$

$$= 1000 - 100Q$$

$$MR = 0 \Leftrightarrow Q = 10$$

Price effect

Quantity effect



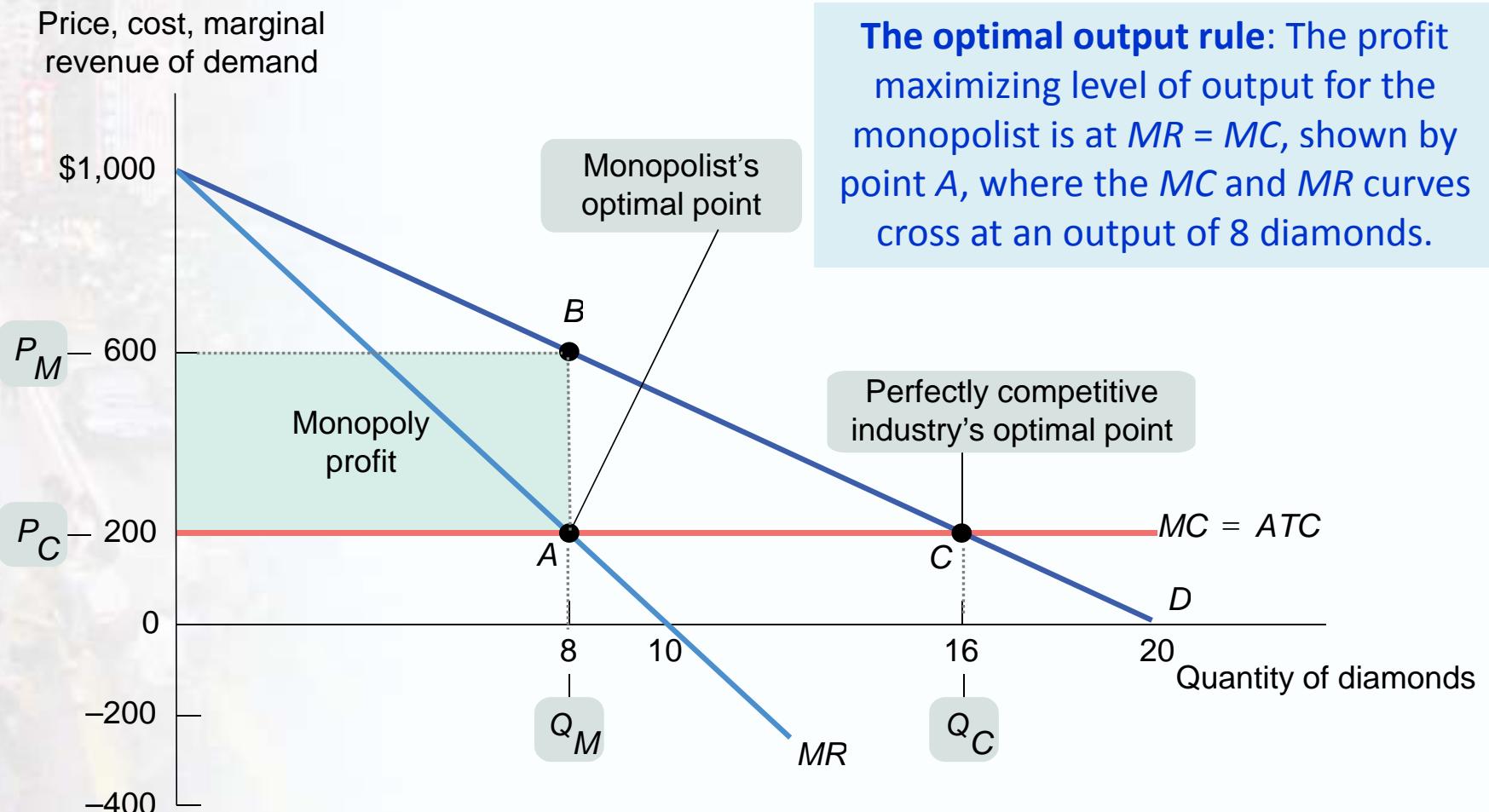
## The Monopolist's Profit-Maximizing Output and Price

- To maximize profit [ $\Pi(Q) = TR(Q) - TC(Q)$ ], the monopolist compares marginal cost with marginal revenue.
- If marginal revenue exceeds marginal cost, De Beers increases profit by producing more; if marginal revenue is less than marginal cost, De Beers increases profit by producing less.
- So the monopolist maximizes its profit by using the optimal output rule:
  - At the monopolist's profit-maximizing quantity of output:

$$\Pi'(Q) = TR'(Q) - TC'(Q)$$

$$MR = MC$$

# The Monopolist's Profit-Maximizing Output and Price



**The optimal output rule:** The profit maximizing level of output for the monopolist is at  $MR = MC$ , shown by point A, where the  $MC$  and  $MR$  curves cross at an output of 8 diamonds.

$$MR = 1000 - 100Q; \quad MC = 200$$

$$MR = MC \Leftrightarrow 1000 - 100Q = 200$$

$$\Rightarrow Q_M = 8$$

# Regulated Natural Monopoly: Wasserpreise und zweigliedrige Tarife

- Durchschnittskostenregulierung: Steigende Preise bei sinkender Nachfrage
- Zweiteilige (zweigliedrige) Tarife:  
Grundgebühr + verbrauchsabhängige Nutzungsgebühr

